# Australia's Cricket Supremacy - A Causality Analysis 

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#### Abstract

In the game of cricket, Australia have reigned supreme. They have better win/loss ratios in Test matches against all opposing nations by substantial to infinite margins. These ratios are significantly magnified for Tests staged on Australian soil. In this study, we have identified several intangible factors like rule differences, match durations, ground sizes and weather conditions which likely had contributed to the Australian dominance to some extent. More significantly, we have also identified and analyzed two main causative factors, which are responsible for the win/loss ratios in favor of Australia: (1) Most of the great opposition batsmen with the exception of a few, have under-performed against Australia as compared with against other cricketing nations in general, and in Australia in particular; (2) Most of the great opposition bowlers, with few exceptions, have also under-performed against Australia and in Australia in a similar manner. These two factors amply demonstrate the causality between them on one hand and Australia's win/loss ratio on the other.


## INTRODUCTION

In the history of world Test cricket, Australia have been the one team which reigned supreme. They had won more Test matches than they lost against all opposition. Table I (from [1]) is a summary of all Test matches played by Australia from the inaugural Test match against England in 1877 up to and including the year 2020. (Note: In that table, the entries for South Africa have been corrected from [1], which did not include data from the Triangular contest played in England in 1912.) Australia's Win/Loss Ratio ranged from 1.32 (against England), 1.43 (against India), 1.81 (against West Indies) up to infinity (against Zimbabwe and ICC World XI). Overall, against all opposition, Australia played 837 Test matches, won 396 of them and lost only 226 for a win/loss ratio of 1.75 .

| Table I. Australia's Test Record against Opposition |  |  |  |  |  |  |  |
| :--- | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| Opposition | First <br> Test | Tests | Won | Lost | Drawn | Tied | Win/Loss <br> Ratio |
| England | 1877 | 351 | 146 | 110 | 95 | 0 | 1.32 |
| South Africa | 1902 | 101 | 54 | 26 | 21 | 0 | 2.07 |
| West Indies | 1930 | 116 | 58 | 32 | 25 | 1 | 1.81 |
| New Zealand | 1946 | 60 | 34 | 8 | 18 | 0 | 4.25 |
| India | 1947 | 102 | 43 | 30 | 28 | 1 | 1.43 |
| Pakistan | 1956 | 66 | 33 | 15 | 18 | 0 | 2.20 |
| Sri Lanka | 1983 | 31 | 19 | 4 | 8 | 0 | 4.75 |
| Zimbabwe | 1999 | 3 | 3 | 0 | 0 | 0 | $\infty$ |
| Bangladesh | 2003 | 6 | 5 | 1 | 0 | 0 | 5.00 |
| ICC World XI | 2005 | 1 | 1 | 0 | 0 | 0 | $\infty$ |
| Overall | 1877 | 837 | 396 | 226 | 213 | 2 | 1.75 |

The win/lose ratio increases against all opposition in favor of Australia if matches staged in Australia only are considered, as may be expected given home ground advantage. Table II (constructed from [2]) is the summary of all Test matches played in Australia against every opposition up to and including the year 2020. The win/loss ratio quite expectedly increased in Australia's favor against each opposing team. As examples, this ratio increased from 2.20 to 6.50 for Pakistan; from 1.43 to 3.33 for India; and 4.25 to 6.66 for New Zealand. The ratios for two additional teams from Table I (Sri Lanka and Zimbabwe) became infinite. The overall win/loss ratio rose from 1.75 (in Table I) to an emphatic 2.44 against all opposition.

| Table II. Australia's Test Record on Home Grounds |  |  |  |  |  |  |
| :--- | :---: | :---: | :---: | :---: | :---: | :---: |
| Opposition | Tests | Won | Lost | Drawn | Tied | Win/Loss <br> Ratio |
| England | 181 | 95 | 57 | 29 | 0 | 1.66 |
| South Africa | 41 | 21 | 10 | 10 | 0 | 2.10 |
| West Indies | 66 | 37 | 18 | 10 | 1 | 2.05 |
| New Zealand | 34 | 20 | 3 | 11 | 0 | 6.66 |
| India | 52 | 30 | 9 | 13 | 0 | 3.33 |
| Pakistan | 37 | 26 | 4 | 7 | 0 | 6.50 |
| Sri Lanka | 15 | 13 | 0 | 2 | 0 | $\infty$ |
| Zimbabwe | 2 | 2 | 0 | 0 | 0 | $\infty$ |
| Bangladesh | 2 | 2 | 0 | 0 | 0 | $\infty$ |
| ICC World XI | 1 | 1 | 0 | 0 | 0 | $\infty$ |
| Overall | 431 | 247 | 101 | 82 | 1 | 2.44 |

Some of the factors contributing to the home ground advantage in Australia are the following. Throughout much of cricket history: (1) Test matches in Australia were played over 6 days instead of the usual 5 days; (2) First-class matches (other than Tests) were played over 4 days instead of the usual 3; and (3) 8-ball overs were played instead of the usual 6-ball overs. The opposition players, rather than the Australians had to adjust to these unfamiliar circumstances. (4) Australian cricket grounds are generally larger than the most in other countries and opposition batsmen have to hit the ball harder for the boundary than they are accustomed to. (5) Fewer matches are interrupted by weather in Australia which means that more matches proceed to conclusive results, usually to the host nation's favor. (6) Finally, in the early days of Test cricket, Timeless Tests were played in Australia until conclusion, which once again favored the home team.
In this paper, we search for more tangible and quantifiable factors such as batting and bowling performances of the leading opposition players against Australia in general and in Australia in particular. We then establish the causality between these factors and the win/loss ratios of the Australian team.

## BATTING AVERAGES OF GREAT NON-AUSTRALIAN BATSMEN

The batting average is commonly regarded as the most important parameter by which the greatness of a batsman is measured. It is defined as the quotient of the total runs scored by a batsman over the number of times dismissed. In this study, we consider three categories of batting averages: (1) Test batting average $\alpha_{1}$; (2) Test batting average against Australia $\alpha_{2}$; and (3) Test batting average in Australia $\alpha_{3}$. If $R_{1}=$ total Test runs scored; $D_{1}=$ number of times dismissed in Tests; $R_{2}=$ total Test runs scored against Australia; $D_{2}=$ number of times dismissed by Australia; $R_{3}=$ total Test runs scored in Australia; and $D_{3}=$ number of times dismissed in Australia, then:

$$
\begin{align*}
& \alpha_{1}=\frac{R_{1}}{D_{1}}  \tag{1}\\
& \alpha_{2}=\frac{R_{2}}{D_{2}} \tag{2}
\end{align*}
$$

and

$$
\begin{equation*}
\alpha_{3}=\frac{R_{3}}{D_{3}} \tag{3}
\end{equation*}
$$

The batting average is a direct quantity: the higher the batting average, the greater the batsman is considered to be. In this study, we have selected 27 of the greatest batsmen in cricket history who had played against Australia and retired by the year 2020, who had averaged above 49.00 and batted at least 60 innings (Table III, from [3]). Their respective batting averages $\alpha_{1}, \alpha_{2}$ and $\alpha_{3}$ are shown in Table III. The values of $\alpha_{1}$ and $\alpha_{2}$ are readily found in the literature [3]; but $\alpha_{3}$ had to be calculated manually. Somewhat surprisingly, 7 of the 27 batsmen (Sutcliffe, Barrington, Walcott, Tendulkar, Younis Khan, Gavaskar and de Villars) had managed to achieve higher averages against

Australia $\left(\alpha_{2}\right)$ than their respective overall averages $\left(\alpha_{1}\right)$. Only 5 batsmen (Sutcliffe, Barrington, Hammond, Sangakkara and Hobbs) had higher batting averages in Australia $\left(\alpha_{3}\right)$ than their overall averages $\left(\alpha_{1}\right)$.

Table III. Non-Australian Batsmen ranked by Test Average

| Non-Australian |
| :--- | :---: | :---: | :---: | :---: | :---: | :---: |
| Test Batsman |

* E = England; WI = West Indies; SL = Sri Lanka; SA = South Africa; I = India;
$\mathrm{P}=$ Pakistan; $\mathrm{Z}=$ Zimbabwe
** Minimum: 60 Innings

(Fig. 1)

The perspective becomes more transparent in Fig. 1. In that figure, the batsmen are numbered serially with diminishing batting average $\alpha_{1}$. All three averages are plotted against the serial numbers of the batsmen. Clearly, a select few batsmen had managed to pierce their averages against Australia ( $\alpha_{2}$ and $\alpha_{3}$ ) above $\alpha_{1}$. But the vast majority of the batsmen had their $\alpha_{2}$ and $\alpha_{3}$ values well below their $\alpha_{1}$ values. This demonstrates that the diminishing batting averages against Australia ( $\alpha_{2}$ ) and in Australia ( $\alpha_{3}$ ) constitute causative factors for the enhanced win/loss ratio for the Australian Test cricket teams.

## BOWLING AVERAGES OF GREAT NON-AUSTRALIAN BOWLERS

The bowling average is regarded as the most important parameter by which the greatness of a bowler is measured. It is defined as the quotient of the total runs conceded by a bowler over the number of wickets captured by the bowler. In this study, we consider three categories of bowling averages: (1) Test bowling average $\beta_{1}$; (2) Test bowling average against Australia $\beta_{2}$; and (3) Test bowling average in Australia $\beta_{3}$. If $\dot{R}_{1}=$ total Test runs conceded; $W_{1}=$ number of Test wickets captured; $\dot{R}_{2}=$ total Test runs conceded against Australia; $W_{2}=$ number of Australian wickets captured; $\dot{R}_{3}=$ total Test runs conceded in Australia; and $W_{3}=$ Test wickets captured in Australia, then:

$$
\begin{align*}
& \beta_{1}=\frac{\dot{\mathrm{R}}_{1}}{W_{1}}  \tag{4}\\
& \beta_{2}=\frac{\dot{\mathrm{K}}_{2}}{W_{2}} \tag{5}
\end{align*}
$$

and

$$
\begin{equation*}
\beta_{3}=\frac{\dot{K}_{3}}{W_{3}} \tag{6}
\end{equation*}
$$

Unlike the batting average, the bowling average is an inverse quantity: the lower the bowling average, the greater the bowler is deemed to be. In this study, we have selected 20 of the greatest bowlers in cricket history who had played against Australia and retired by the year 2020, who had averaged below 25.00 and bowled in at least 40 Test matches (Table IV, from [4]). Their respective bowling averages $\beta_{1}, \beta_{2}$ and $\beta_{3}$ are shown in Table IV. The values of $\beta_{1}$ and $\beta_{2}$ are readily found in the literature [4]; but $\beta_{3}$ had to be calculated manually. Only 5 of the 20 bowlers (Garner, Laker, Hadlee, Holding and Bishop) had managed to achieve better (i.e., lower) averages against Australia ( $\beta_{2}$ ) than their respective overall averages ( $\beta_{1}$ ) and only 4 bowlers (Ambrose, Laker, Hadlee and Bishop) had lower bowling averages in Australia ( $\beta_{3}$ ) than their overall averages ( $\beta_{1}$ ).

| Table IV. Non-Australian Bowlers ranked by Test Average |  |  |  |  |  |  |
| :--- | :---: | :---: | :---: | :---: | :---: | :---: |
| Non-Australian <br> Test Bowler | Test <br> Av. <br> Rank | Test <br> Nation <br> $*$ | Test <br> Matches <br> $* *$ | Test Bowling Average |  |  |
|  |  | Overall | versus <br> Australia | in <br> Australia |  |  |
| MD Marshall | 1 | WI | 81 | 20.94 | 22.51 | 23.15 |
| J Garner | 2 | WI | 58 | 20.97 | 20.89 | 25.37 |
| CEL Ambrose | 3 | WI | 98 | 20.99 | 21.23 | 19.79 |
| JC Laker | 4 | E | 46 | 21.24 | 18.77 | 21.20 |
| FS Trueman | 5 | E | 67 | 21.57 | 25.30 | 27.48 |


| Non-Australian Test Bowler | Test Av. <br> Rank | Test <br> Nation <br> * | Test <br> Matches <br> ** | Test Bowling Average |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  |  |  |  | Overall | versus <br> Australia | in <br> Australia |
| AA Donald | 6 | SA | 72 | 22.25 | 31.07 | 28.44 |
| RJ Hadlee | 7 | NZ | 86 | 22.29 | 20.56 | 17.83 |
| VD Philander | 8 | SA | 64 | 22.32 | 24.67 | 30.12 |
| M Muralitharan | 9 | SL | 133 | 22.72 | 36.06 | 75.41 |
| Imran Khan | 10 | P | 88 | 22.81 | 24.96 | 28.51 |
| DW Steyn | 11 | SA | 93 | 22.95 | 27.47 | 28.77 |
| SM Pollock | 12 | SA | 108 | 23.11 | 36.85 | 34.31 |
| Waqar Younis | 13 | P | 87 | 23.56 | 33.80 | 40.50 |
| Wasim Akram | 14 | P | 104 | 23.62 | 25.76 | 24.05 |
| MA Holding | 15 | WI | 60 | 23.68 | 23.30 | 24.22 |
| IR Bishop | 16 | WI | 43 | 24.27 | 23.02 | 23.02 |
| H Verity | 17 | E | 40 | 24.37 | 28.06 | 34.57 |
| CA Walsh | 18 | WI | 132 | 24.44 | 28.68 | 34.33 |
| JB Statham | 19 | E | 70 | 24.84 | 30.98 | 31.74 |
| AV Bedser | 20 | E | 51 | 24.89 | 27.49 | 31.68 |
| * WI = West Indies; E = England; SA = South Africa; NZ = New Zealand; SL = Sri Lanka; P = Pakistan |  |  |  |  |  |  |
| ** Minimum: 40 |  |  |  |  |  |  |

Once again, the perspective becomes clearer in Fig. 2. In that figure, the bowlers are numbered serially with increasing bowling average $\beta_{1}$. All three averages are plotted against the serial numbers of the bowlers. Clearly, a select few bowlers managed to lower their averages against Australia ( $\beta_{2}$ and $\beta_{3}$ ) below $\beta_{1}$. But the vast majority of the bowlers had their $\beta_{2}$ and $\beta_{3}$ values well above their $\beta_{1}$ values. This demonstrates that the enhanced bowling averages against Australia ( $\beta_{2}$ ) and in Australia ( $\beta_{3}$ ) constitute additional causative factors for the enhanced win/loss ratio for the Australian Test cricket teams.

(Fig. 2)

## SUMMARY

In this study, we have identified several intangible factors like rule differences, match durations, ground sizes and weather conditions which likely contributed to the Australian dominance in cricket. More significantly, we have identified and analyzed two main causative factors, which are responsible for the win/loss ratios in favor of Australia: the under-performance of the greatest opposition batsmen and bowlers against Australia in general and in Australia in particular. These two factors amply demonstrate causality between them on one hand and Australia's win/loss ratio on the other.

## REFERENCES

[1] https://stats.espncricinfo.com/ci/content/records/283302.html
[2] https://stats.espncricinfo.com/ci/content/records/335431.html
[3] https://stats.espncricinfo.com/ci/content/records/282910.html
[4] https://stats.espncricinfo.com/ci/content/records/283256.html

