

# Novel Method in Secure Data Communication Using MK15-Variable Key Cryptosystem

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## Abstract

In this paper, we are proposing a new encryption scheme MK15, influenced by both symmetric key and asymmetric key encryption methodologies. This scheme works as a public key cryptosystem, having both public key and private key and form the product cipher after transposition and substitution on plain text. The encryption key will be drawn from decryption key. One magical number is used for the generation of decryption key and this number is known to key generator only. This scheme is helpful in transferring data on an insecure communication channel. It is a variable size key based algorithm. The size of the key depends on the plain text.

**Keywords:** Asymmetric Key, Public Key, Private Key, Product Cipher, Variable Size Key

## 1 Introduction

Cryptography is a technique for secure data communication on an insecure communication channel. Cryptography is a practice and techniques for hiding the information as well as secure data communication in the presence of third parties. The main goal of Cryptography is data confidentiality, data integrity, authentication, and non-repudiation.

Cryptography algorithms are split into two categories: Symmetric key Cryptosystem and Public key Cryptosystem. In the Symmetric key Cryptosystem, sender and receiver share a common private key, this same private key is used for encryption and decryption of the message. A significant disadvantage of Symmetric key Cryptosystem is the key management necessary to use them securely. While in the Public key Cryptosystem, also known as Asymmetric key Cryptosystem, two keys being used between sender and receiver in which public key is known to all and private key is known to receiver only. The main advantage of Public key Cryptosystem is that even if an eavesdropper hears the transmitted message, he can not make any sense from the message until he do not know how to decrypt it.

The RSA Cryptosystem is a public key system and it

is widely used for data communication. The modular exponentiation is one of the most important operation of RSA. The security of RSA Cryptosystem lies in intractability of factoring a large integer into some component primes. A very major threat to RSA would be a solution to the Riemann hypothesis. If a solution of this hypothesis were found, it would become very easy to find prime numbers.

The first symmetric key encryption standard, DES (Data Encryption Standard), was recommended by NIST (National Institute of Standards and Technology). DES applies a 56-bit key to each 64-bit block of data. The process involves 16 rounds for encryption and decryption. In DES, encryption and decryption uses the same feistel structure approach. Data can be recovered from cipher only by using exactly the same key used to encipher it. Now a days DES is considered to be insecure for many applications because the size of the key is too small and because of this Advanced Encryption Standard (AES) has superseded DES.

### 1.1 The Public Key Cryptosystem

In the symmetric cryptography, encryption and decryption key is the same. This type of cryptosystem can be easily broken if key is found. To avoid this problem and to improve protection mechanism Public Key Cryptosystem was introduced in 1976. There is an encryption procedure E to encrypt the plain text using encryption key i.e. to convert plain text into cipher text and decryption procedure D to decrypt the cipher text using decryption key i.e. to convert cipher text into original plain text.

In the public key system, the private key and public key has a mathematical relationship. There is always a possibility of achieving a private key by attacking on world-wide known public key. To avoid such problem make a cryptosystem in such a way that deriving private key from public key become impossible.

## 2 Review of Existing Literature

An implementation of the Diffie-Hellman key distribution scheme that achieves a public key cryptosystem has

been discussed in [1]. A new type of cryptographic system, which minimize the need for secure key distribution channel has been discussed in the paper [2]. Implementation of RSA algorithm with the help of Object-Oriented methods has been discussed in [3]. This paper [4] discussed about the performance improvement of RSA algorithm. In this paper, [5] attention has been given to quantum encryption. In this paper [6], various asymmetric algorithms like (RSA, Elliptic Curve, OAEP) are compared.

### 3 Proposed Algorithm

The proposed new scheme is an asymmetric block cipher. It is a parameterised algorithm, with a variable block size and sub block size, a variable number of rounds and a variable key length. The total size of the key will be equal to size of the plain text and this will be divided into parts which is equal to size of sub block. This flexibility provides an opportunity to enhance both performance characteristics and information security level.

This particular MK15 algorithm is designated as MK15-B/b/r. The number of bytes in a block, B, is first parameter of MK15. Different choices of this parameter result in different MK15 algorithm. The number of bytes in a sub-block, b, is second parameter of MK15. The number of round will represented by, r, and this is the third parameter of MK15. MK15 is an iterative scheme because of, r, number of rounds. These parameters are summarised as follows:

**SIZE OF BLOCK:** The block size, in bytes.

**SIZE OF SUB BLOCK:** The sub-block size, in bytes. This will be same as number of bytes in secret keys used for encryption and decryption.

r: The number of rounds.

NB: Total number of blocks.

SB: Total number of sub-blocks in a block.

L: The b-byte secret key will be:  $K[0][b], K[1][b], K[2][b], K[3][b], \dots, K[NB-1][b]$ .

MK15 consists of three components: a key generation algorithm, an encryption algorithm and a decryption algorithm. These algorithms use the following two primitive operations:

1. : Bit-wise exclusive-OR.
2. n: Shifting symbol: the shift of x to the left by y bits is denoted by xny.

This procedure as in [7] also has the following three properties:

- a) Deciphering the enciphered form of a message M yields M. Formally,  $D(E(M)) = M$ .
- b) Both E and D are easy to compute.
- c) By publicly revealing E the user does not reveal an easy way to compute D.

The most important feature of MK15 is its simplicity, which makes it easy to implement. Another important feature of MK15 is its data-independent key generation.

#### 3.1 Key Generation Algorithm

The most important part of any public key cryptosystem is to generate the encryption and decryption key and the way in which encryption key shared with the other users. The encryption or decryption procedures typically consist of a method and encryption or decryption key. This method uses the encryption key to encipher the message into cipher text and decryption key to decipher it. The encryption and decryption key of MK15 scheme has following features:

1. Size of the encryption and decryption key will be of variable size and depends on the input text given by the key generator. The size of the key will be equal to size of plain text, which will be divided into size of sub blocks.
2. The encryption key will be generated with the help of Decryption key.
3. For the key generation, two large numbers will be used to generate two large prime numbers.
4. The deterministic random number generator (DRNG) algorithm will be used to generate a large random number with the help of large prime numbers. The session key(third large number) will be provided as a seed value for this DRNG.
5. Two large prime numbers will be generated with the help of these two large numbers and the value of these prime numbers will be greater than the input numbers.

##### 3.1.1 First algorithmic step for Key Generation:

1. Choose Input1, Input 2, Input 3, Input 4 and Input 5 any large numbers.
2. Calculate total number of characters in the Plain Text.
3. Divide the total size of Plain text into equal number of parts, the size of each part will be less than or equal to SIZE OF BLOCK.
4. Choose a Magical Number. The value of this Magical number should be less than or equal to SIZE OF SUB BLOCK.

Algorithm 1 INPUT\_AND\_SIZE\_EXTRACTOR

Input: Total number of characters in Plain Text,  
 Input 1, Input 2, Input 3, Input 4, Input 5 and Input  
 6. Output: Encryption and Decryption Keys

```

1: SESSION KEY input1
2: RAND.NU M 1 input2
3: RAND.NU M 2 input3
4: SIZE_OF_BLOCK input4
5: SIZE_OF_SU B_BLOCK input5
6: MAGICAL_NU M input6
7: total_char total char in plain text
8: while 1 do
9:   if total char > SIZE OF BLOCK then
10:    KEY_GENERAT OR(SIZE OF BLOCK;
    SIZE_OF_SU B_BLOCK; SESSION
    KEY; RAND NU M 1; RAND NU M 2)
11:   else
12:    KEY_GENERAT OR(total char;
    SIZE_OF_SU B_BLOCK; SESSION
    KEY; RAND NU M 1; RAND NU M 2)
13:   end if
14:   total_char total_char SIZE OF BLOCK
15: end while
    
```

3.1.2 Second algorithmic step for Key Generation:

1. This step is to generate two <sup>0</sup>two dimensional<sup>0</sup> arrays, one for encryption key and other for de-cryption key.
2. The size of encryption key and decryption key will be <sup>0</sup>Key Index size of (sub block)<sup>0</sup>.
3. Generate two prime numbers  $X_{\uparrow}$  and  $Y_{\uparrow}$  and generate a large random number R using DRNG with the help of these two prime numbers and seed value Z.

$$\text{Key\_Index} = \lceil B/b + 1 \rceil \text{ if } B\%b \neq 0 \quad (1)$$

$$B = b \text{ if } B\%b = 0 \quad (2)$$

$$RC = b + 1 \text{ if } RC\%b \neq 0 \ \&\& \ \text{size of } (RC) < B \quad (3)$$

$$RC = b \text{ if } RC\%b = 0 \ \&\& \ \text{size of } (RC) < Bg \quad (4)$$

Where B is SIZE OF BLOCK, b is SIZE OF SUB BLOCK and RC is remaining characters. The value of remaining characters will be less than SIZE OF BLOCK.

Algorithm 2 KEY\_GENERATOR

Input: Argument 1, Argument 2, Argument 3,  
 Argu-ment 4 and Argument 5.  
 Output: Encryption and Decryption keys.

```

1: if Arg1%Arg2! = 0 then
2:   key_index Arg1=Arg2 + 1
3:   loop-variant key_index 1
4:   odd_data 1
5: else
6:   key_index Arg1=Arg2
7:   loop_variant key_index
8:   odd_data 0
9: end if
10: RAND NU M RAND NU M 1 + RAND NU M 2
11: Encryption_Key File R
12: Decryption_Key File RAND NU M 1
13: Decryption_Key File RAND NU M 2
14: for k 0 to loop variant do
15:   for i 0 to SIZE OF SU B_BLOCK do
16:     key_value
    RAND NU M GENERAT OR(Arg3; Arg4; Arg5)
    % SIZE_OF_SU B_BLOCK
17:     for j to i do
18:       if D[k; j] = key_value then
19:         break
20:       end if
21:     end for
22:     if j = i then
23:       D[k; i] key_value
24:       temp D[k; i]
    (MAGICAL NU M%SIZE OF SU B_BLOCK)
25:       Decryption_Key_File temp
26:       i i + 1
27:     end if
28:   end for
29: end for
30: for i 0 to loop variant do
31:   for j 0 to SIZE OF SU B_BLOCK do
32:     index D[j; i]
    (MAGICAL NU M%SIZE OF SU B_BLOCK)
33:     E[j; index] i index
34:   end for
35: end for
36: for i0 to loop variant do
37:   for j 0 to SIZE OF SU B_BLOCK do
38:     Encryption_Key_File E[i; j]
39:   end for
40: end for
    
```

---

```

41: if odd.data = 1 then
42:   for i 0 to (Arg1%SIZE OF SU B BLOCK) do
43:     key.value
44:     RAND.NU M.GENERAT OR(Arg3; Arg4; Arg5)
45:     % SIZE.OF.SU B BLOCK
46:     for j 1 to i do
47:       if D[key.index 1; j] = key.value then
48:         break
49:       end if
50:     end for
51:     if j = i then
52:       D[key.index 1; i] = key.value
53:       temp = D[key.index 1; i]
54:       (MAGICAL NU M%SIZE OF .SU B BLOCK) 11:
55:       Decryption-Key-File = temp
56:       i = i + 1
57:     end if
58:   end for
59: end if
60: if odd.data = 1 then
61:   for i 0 to (Arg1%SIZE OF SU B BLOCK) do
62:     index = D[key.index 1; i]
63:     (MAGICAL NU M%SIZE OF .SU B BLOCK) 20:
64:     E[key.index 1; index] = i
65:   end for
66: end if
67: if odd.data = 1 then
68:   for i 0 to (Arg1%SIZE OF SU B BLOCK) do
69:     Decryption-Key-File = E[key.index 1; i]
70:   end for
71: end if
    
```

---

#### Algorithm 3 RAND-NUM-GENERATOR

Input: Three large numbers X, Y, Z.  
 Output: One random number Key Value.

```

1: R = X + Y
2: start = Z
3: X¶ = PRIME.NU M.GENERAT OR(X; Y) :
   where X¶ > X
4: Y¶ = PRIME.NU M.GENERAT OR(X; Y) :
   where Y¶ > Y
5: start = value X¶
6: start = value + Y¶
7: result = (start=2^ 32)mod(2^ 20)
8: result = n12
9: Interchange Y¶ and X¶
10: Z = result
11: key.value=result
12: Repeat (a) to (e) steps 3 times
13: return key.value
    
```

---

#### Algorithm 4 PRIME-NUM-GENERATOR

Input: Two large random numbers X and Y.  
 Output: Two large prime numbers X¶ and Y¶.

```

1: while 1 do
2:   for j 1 to X do
3:     if X% j = 0 then
4:       break
5:     end if
6:   end for
7:   if j = X then
8:     break
9:   end if
10:  X = X + 1
11: end while
12: X¶ = X
13: while 1 do
14:   for j 1 to Y do
15:     if Y % j = 0 then
16:       break
17:     end if
18:   end for
19:   if j = Y then
20:     break
21:   end if
22:  Y = Y + 1
23: end while
24: Y¶ = Y
25: return X¶, Y¶
    
```

---

In the two dimensional array for Encryption and Decryption key, Key.Index will be equal to number of rows and b (size of sub block) will be equal to number of columns.

The public key becomes  $\langle B; b; R; E_1; E_2; E_3; \dots; E_n \rangle$  where n will depend on size of block and sub-block. The private key becomes  $\langle B; b; R; D_1; D_2; D_3; \dots; D_n \rangle$  where n will depend on size of block and sub-block. The size of  $E_1; E_2; \dots; E_n$  and  $D_1; D_2; D_3; \dots; D_n$  will be equal to size of sub-block.

#### 3.2 Encryption Algorithm

Suppose Tom wants to send a message M to Jerry. To encrypt the message using the proposed algorithm scheme, Tom must obtain encryption key of Jerry which is public and known to all. The message to send must now be encrypted with this encryption key. The message M must be represented in the range of [0-size of block] and the size of the block will be same as size of block of key.

##### 3.2.1 First algorithmic step for Encryption:

1. Calculate total number of characters, L, in the plain text M.

2. Divide the plain Text M into L/B number of blocks where L is the size of plain text and B is the size of each blocks.

3. Total number of blocks

$$NB = \lceil L/B \rceil; \quad \text{if } L \% B = 0 \quad (5)$$

$$L = B * N; \quad \text{if } L \% B \neq 0 \quad (6)$$

4. The total number of blocks in case of  $L \% B \neq 0$  will be  $L/B + 1$ , where the size of last block will not be equal to B whereas rest of the blocks will be of size B.

5. Further divide each block into sub blocks of size, b.

6. Total number of sub blocks of size, b, will be

$$SB = \lceil L/b \rceil; \quad \text{if } L \% b = 0 \quad (7)$$

$$L = b * S; \quad \text{if } L \% b \neq 0 \quad (8)$$

7. The total number of sub-blocks in case of  $L \% b \neq 0$  will be  $L/b + 1$ , where the size of last sub-block will not be equal to b whereas rest of the sub-blocks will be of size b.

3.2.2 Second algorithmic step for Encryption:

1. The encryption key will be extracted from Encryption key file.

2. This step is to fill two dimensional array for encryption key.

3. The size of encryption key will be  $\lceil L/b \rceil$  Key Index size of (sub block).

$$\text{Key-Index} = \lceil L/b \rceil + 1 \quad \text{if } L \% b \neq 0 \quad (9)$$

$$L = b * \text{Key-Index} \quad \text{if } L \% b = 0 \quad (10)$$

$$RC = L - b * \text{Key-Index} \quad \text{if } RC \% b \neq 0 \quad \&\& \text{ size of } (RC) < B \quad (11)$$

$$RC = b * \text{Key-Index} \quad \text{if } RC \% b = 0 \quad \&\& \text{ size of } (RC) < B \quad (12)$$

Where RC is Remaining characters. The value of remaining characters will be less than size of Block.

3.2.3 Third algorithmic step for Encryption:

a) Divide the plain Text M into  $L/n = k$  number of packets where n is the size of plain text, k is the size of each packet and L is total number of packets.

b) Apply the permutation on each packet based on the encryption key  $M1[u] = M1[u] + E1$ , Where  $0 < u < L$ .

c)  $M1[u] = M1[u] * Z$ . (Where Z is a large random value)

d) Step b will take place for rest of the packets.

#### Algorithm 5 INPUT AND SIZE EXTRACTOR ENCRYPTION

Input: Total number of characters in Plain Text, Input 1, Input 2, Input 3, Input 4, Input 5 and Input 6.

Output: Encryption and Decryption Keys

```

1: RAND_NUM Encryption Key File
2: SIZE_OF_BLOCK Encryption Key File
3: SIZE_OF_SUB_BLOCK Encryption Key File
4: total_char total_char in plain text
5: while 1 do
6:   if total_char > SIZE_OF_BLOCK then
7:     DATA_EXTRACTOR(SIZE_OF_BLOCK;
8:     SIZE_OF_SUB_BLOCK; RAND_NUM 1)
9:   else
10:    DATA_EXTRACTOR(total_char;
11:    SIZE_OF_SUB_BLOCK; SESSION KEY;
12:    RAND_NUM)
13: end while
    
```

#### Algorithm 6 DATA EXTRACTOR ENCRYPTION

Input: Key Index.

Output: Encrypted Message.

```

1: if Argument1 % Argument2 == 0 then
2:   key_index = Argument1 / Argument2 + 1
3:   loop_variant = key_index - 1
4:   odd_data = 1
5: else
6:   key_index = Argument1 / Argument2
7:   loop_variant = key_index
8:   odd_data = 0
9: end if
10: for k = 0 to loop_variant do
11:   for i = 0 to SIZE_OF_SUB_BLOCK do
12:     Data[i, j]
13:     read_input_plain_text_file(char)
14:     Key[i, j]
15:     read_encryption_key_file(int)
16:   end for
17:   DATA_ENCRYPTION(data; Key; SIZE_OF_SUB_BLOCK)
18: end for
19: if odd_data = 1 then
20:   for i = 0 to total_char % SIZE_OF_SUB_BLOCK do
21:     Data[key_index - 1, i]
22:     read_input_plain_text_file(char)
23:     Key[key_index, i]
24:     read_encryption_key_file(int)
25:   end for
26:   DATA_ENCRYPTION(total_char % SIZE_OF_SUB_BLOCK; Key;
27:   SIZE_OF_SUB_BLOCK)
28: end if
    
```

e) In the last merge all the packets and this will be-come cipher Text C.

---

**Algorithm 7 DATA ENCRYPTION**

---

Input: Plain text, Encryption Key, length and random value.

Output: Encrypted Message.

```

1: for i 1 to length do
2:   Data_Encrypt[i] = 0
3: end for
4: for i 1 to length do
5:   index = Key[i]
6:   index = index + 1
7:   Data_Encrypt[i] = data[index]
8:   Data_Encrypt[i] = Data_Encrypt[i] + index
9:   Data_Encrypt[i] = Data_Encrypt[i] +
      (RAND_NUM) mod (256)
10: end for
11: for i 1 to length do
12:   cipher_text_file = Data_Encrypt[i]
13: end for
    
```

---

**3.3 Decryption Algorithm**

Jerry has received encrypted message send by Tom after encrypting with Jerrys encryption key. Jerry will de-cript the message using own decryption key, which is known to Jerry only. Jerry will apply same procedure as Tom has applied for encryption:

**3.3.1 First algorithmic step for Decryption:**

1. Calculate total number of characters, L, in the plain text M.
2. Divide the plain Text M into L/B number of blocks where L is the size of plain text and B is the size of each blocks.
3. Total number of blocks

$$NB = \lfloor L/B \rfloor; \text{ if } L \% B = 0 \quad (13)$$

$$L = B + 1; \text{ if } L \% B \neq 0 \quad (14)$$

The total number of blocks in case of  $L \% B \neq 0$  will be  $L = B + 1$ , where the size of last block will not be equal to B whereas rest of the blocks will be of size B.

4. Further divide each block into sub blocks of size, b.
5. Total number of sub blocks of size, b, will be

$$SB = \lfloor B/b \rfloor; \text{ if } B \% b = 0 \quad (15)$$

$$B = b + 1; \text{ if } B \% b \neq 0 \quad (16)$$

The total number of sub-blocks in case of  $B \% b \neq 0$  will be  $B = b + 1$ , where the size of last sub-block

will not be equal to b whereas rest of the sub-blocks will be of size b.

**3.3.2 Second algorithmic step for Decryption:**

1. The decryption key will be extracted from Decryp-tion key file.
2. This step is to fill <sup>0</sup>two dimensional<sup>0</sup> array for de-cryption key.
3. The size of decryption key will be <sup>0</sup>Key Index size<sup>0</sup> f (sub block)<sup>0</sup>.

$$\text{Key Index} = \lfloor B/b \rfloor + 1 \text{ if } B \% b \neq 0 \quad (17)$$

$$B = b + 1 \text{ if } B \% b = 0 \quad (18)$$

$$\text{RC} = \lfloor B/b \rfloor + 1 \text{ if } RC \% b \neq 0 \text{ \&\& size of (RC) < B} \quad (19)$$

$$\text{RC} = b \text{ if } RC \% b = 0 \text{ \&\& size of (RC) < B} \quad (20)$$

Where RC is Remaining characters. The value of remaining characters will be less than size of Block.

**3.3.3 Third algorithmic step for Decryption:**

- a) Divide the plain Text M into  $I = n/k$  number of packets where n is the size of plain text, k is the size of each packet and I is total number of packets.
- b)  $C1[u] = C1[u] \oplus Z$ . (Where Z is a large random value)
- c) Apply the permutation on each packet based on the encryption key  $C1[u] = C1[u] + D1$ , Where  $0 < u < I$ .
- d) Step b will take place for rest of the packets.
- e) In the last merge all the packets and this will be-come Plain Text.

---

**Algorithm 8 INPUT AND SIZE EXTRACTOR DECRYPTION**

---

Input: Total number of characters in Plain Text, Input 1, Input 2, Input 3, Input 4, Input 5 and Input 6. Output: Encryption and Decryption Keys

```

1: RAND_NUM 1 = Decryption Key_File
2: RAND_NUM 2 = Decryption Key_File
3: SIZE_OF_BLOCK = Decryption Key_File
4: SIZE_OF_SUB_BLOCK = Decryption_Key_File
5: total_char = total char _in_plain_text
6: RAND_NUM RAND_NUM 1 + RAND_NUM 2
7: while 1 do
8:   if total_char > SIZE_OF_BLOCK then
9:     DATA_EXTRACTOR(SIZE_OF_BLOCK;
       SIZE_OF_SUB_BLOCK; RAND_NUM 1)
10:  else
11:    DATA_EXTRACTOR(total_char;
       SIZE_OF_SUB_BLOCK; SESSION_KEY;
12:  RAND_NUM)
13:  end if
14:  total_char = total_char - SIZE_OF_BLOCK
15: end while
    
```

---

**Algorithm 9 DATA EXTRACTOR DECRYPTION**

Input: Key\_Index.

Output: Encrypted Message.

```

1: if Argument1%Argument2! = 0 then
2:   key_index Argument1=Argument2 + 1
3:   loop_variant key_index 1
4:   odd_data 1
5: else
6:   key_index Argument1=Argument2
7:   loop_variant key_index
8:   odd_data 0
9: end if
10: for k 0 to loop variant do
11:   for i 0 to SIZE OF SU B BLOCK do
12:     Data[i; j]
13:     read_input_plain_text_file(char)
14:     Key[i; j]
15:     read_decryption_key_file(int)
16:   end for
17:   DATA.DECRY PT ION(data; Key;
18:     SIZE_OF SU B BLOCK)
19: end for
20: if odd data = 1 then
21:   for i 0 to total char%SIZE OF SU B BLOCK
22:     do
23:     Data[key index 1; i]
24:     read_input_plain_text_file(char)
25:     Key[key index; i]
26:     read_decryption_key_file(int)
27:   end for
28:   DATA.DECRY PT ION(total char%
29:     SIZE_OF SU B BLOCK; Key;
30:     SIZE_OF SU B BLOCK)
31: end if

```

**4 Experimental Results**

The table given below will give idea about the ef-ficiency of the MK15 algorithm. It gives the detail about the time(in second) taken by the algorithm for Key Generation, Encryption and Decryption, where the size of the Message is 4KB. The time taken by the Key Generation algorithm will be more if the size of block and sub block increases but this will also increase the complexity and security of the key. The size of the Encryption and Decryption key will be equal to size of Message. The time taken by Encryption and Decryption algorithm will remain the same in all the cases. The main benefit of this algorithm is that it is controlled by the receiver. Whenever sender wants to send a message, she has to communicate to the receiver about the size of the message. Then receiver will generate a dummy message of the same size and generate the keys with the help of the dummy message.

**Algorithm 10 DATA DECRYPTION**

Input: Plain text, Decryption Key, length and random value.

Output: Decrypted Message.

```

1: for i 1 to length do
2:   Data.Decrypt[i] 0
3: end for
4: for i 1 to length do
5:   index Key[i]
6:   index index i
7:   Data.Decrypt[i] data[index]
8:   Data.Decrypt[i] Data.Decrypt[i] i
9:   Data.Decrypt[i] Data.Decrypt[i]
10:  (RAND NU M)mod(256)
11: end for
12: for i 1 to length do
13:   cipher_text_file Data.Decrypt[i]
14: end for

```

The receiver will send encryption key to the sender and keep decryption key with her. The sender will encrypt the message with encryption key and receiver will decrypt it with the help of decryption key. In the example given below, the size of Block and Sub-Block is given in bytes while time is in ms.

Table 1:  
**Summary of characteristics of the programs under test**

Block Size	Sub-block Size	Key Gen. Time	Encrypt. Time	Decrypt. Time
8	2	0.846	0.003	0.003
16	4	1.539	0.003	0.003
32	8	2.607	0.003	0.003
64	16	4.555	0.003	0.003
256	32	7.457	0.003	0.003
512	64	9.337	0.003	0.003
768	96	11.670	0.003	0.003
1024	128	14.383	0.003	0.003
1536	192	17.909	0.003	0.003
1792	224	19.340	0.003	0.003

**Example:**

Plain Text: "Secure Communication Using MK15"  
 Encryption Key: 128 64 1 -2033179352 5 18 8 10  
 13 21 9 29 31 25 16 7 22 33 12 19 11 30 14 6 32  
 17 28 0 3 24 2 23 15 1 26 4 27 20  
 Decryption Key: 128 64 1 34567 6543223 28 24 27

27 5 21 12 10 15 9 27 2 9 28 19 26 4 19 28 53 16 26 12  
1 16 4 59 10 26 15 23 52 44

Cipher Text: ScOKN Y kQT NOK My  
HY OLDzUY R

Size of Plain Text: 34 bytes

Size of Cipher Text: 34 bytes

Key Generation Time: 0.072 Second

Encryption Time: 0.001 Second

Decryption Time: 0.001 Second

#### System Details:

Model Name: Intel(R) Core(TM) 2 Duo CPU @  
3.00 GHz

Cache Size: 4096 KB

Operating System: RHEL 5.3

## 5 Conclusions

The proposed method for secure communication is based on asymmetric or public-key cryptosystem. The security of this algorithm rests in the part of difficulty of finding decryption key with the help of encryption key. The method permits a secure communication without the use of couriers to carry keys. The different pattern of keys can be generated by changing the size of block, sub-block, random numbers and session key. The striking feature of MK15 encryption algorithm is that for same input plaintext, the cipher text generated each time will be different. The advantage of different keys generated for the same input is that it will greatly enhance the security aspect of the algorithm. The receiver can send different keys to the sender depending on size of block, sub-block, random numbers and session key having the size of plain text same all the time.

## Future Work

MK15 algorithm is very useful when plain text is small in size. In the case of bigger files (more than 5KB), this method takes a lot of time but the message will be highly secure. To avoid this time problem, there is need of an algorithm which has fixed size encryption and decryption key as well as it should be independent of plain text. This algorithm should encrypt and decrypt the message in minimum amount of time. MK15 algorithm is useful in case of Encryption only, in future improvements is required so that it can be used for both Encryption and Digital Signature. Comparison of MK15 public key cryptosystem with other asymmetric and cryptosystem is required, which can be possible in future.

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